

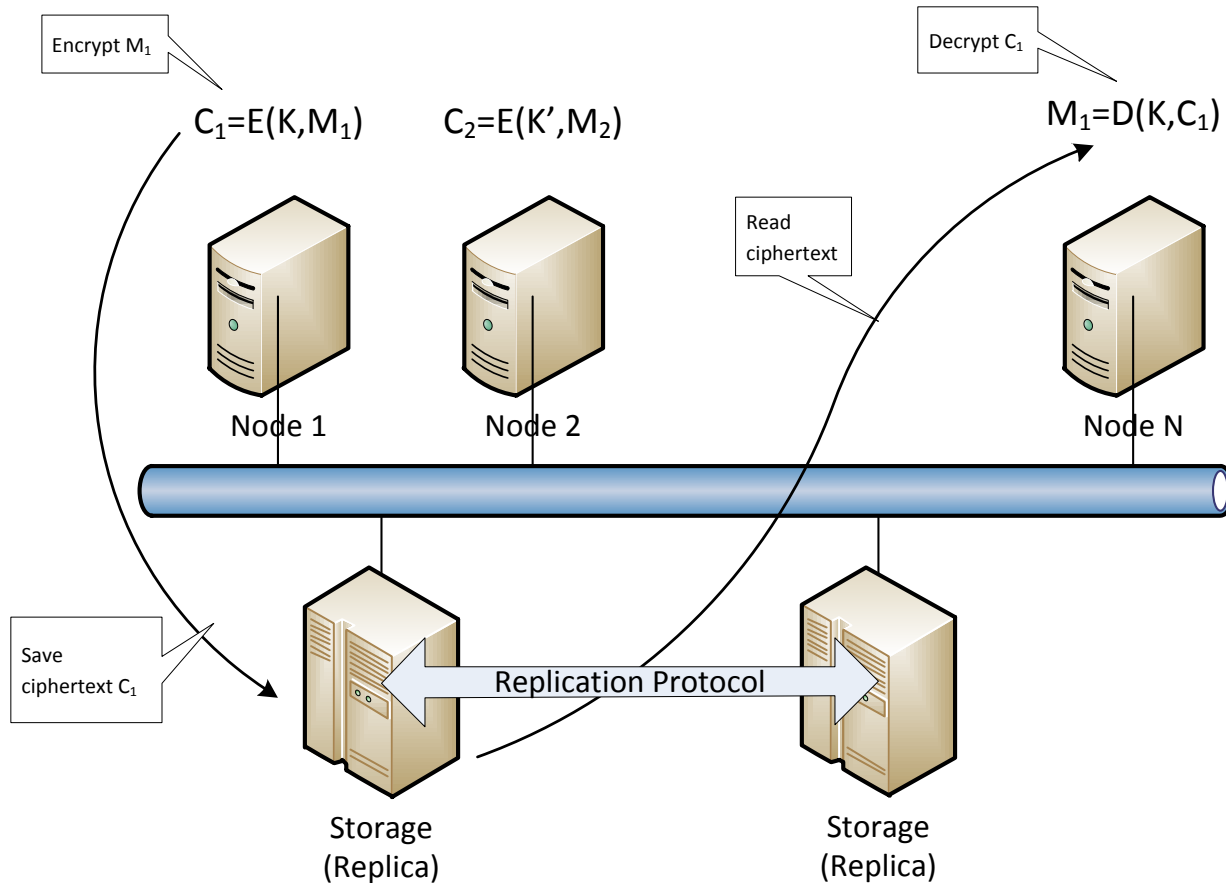
Distributed Key Management and Cryptographic Agility

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24 Feb. 2011

Overview

- Distributed Key Lifecycle
 - Problem statement and status quo
 - Distributed Key Manager
 - Typical application scenario and architecture
- Hardware Rooted Key Management
 - How to use TPMs for key management
 - TPM Key hierarchy
- Diving into Cryptographic Theory
 - Security Definitions
 - Cryptographic Agility

Distributed Key Management

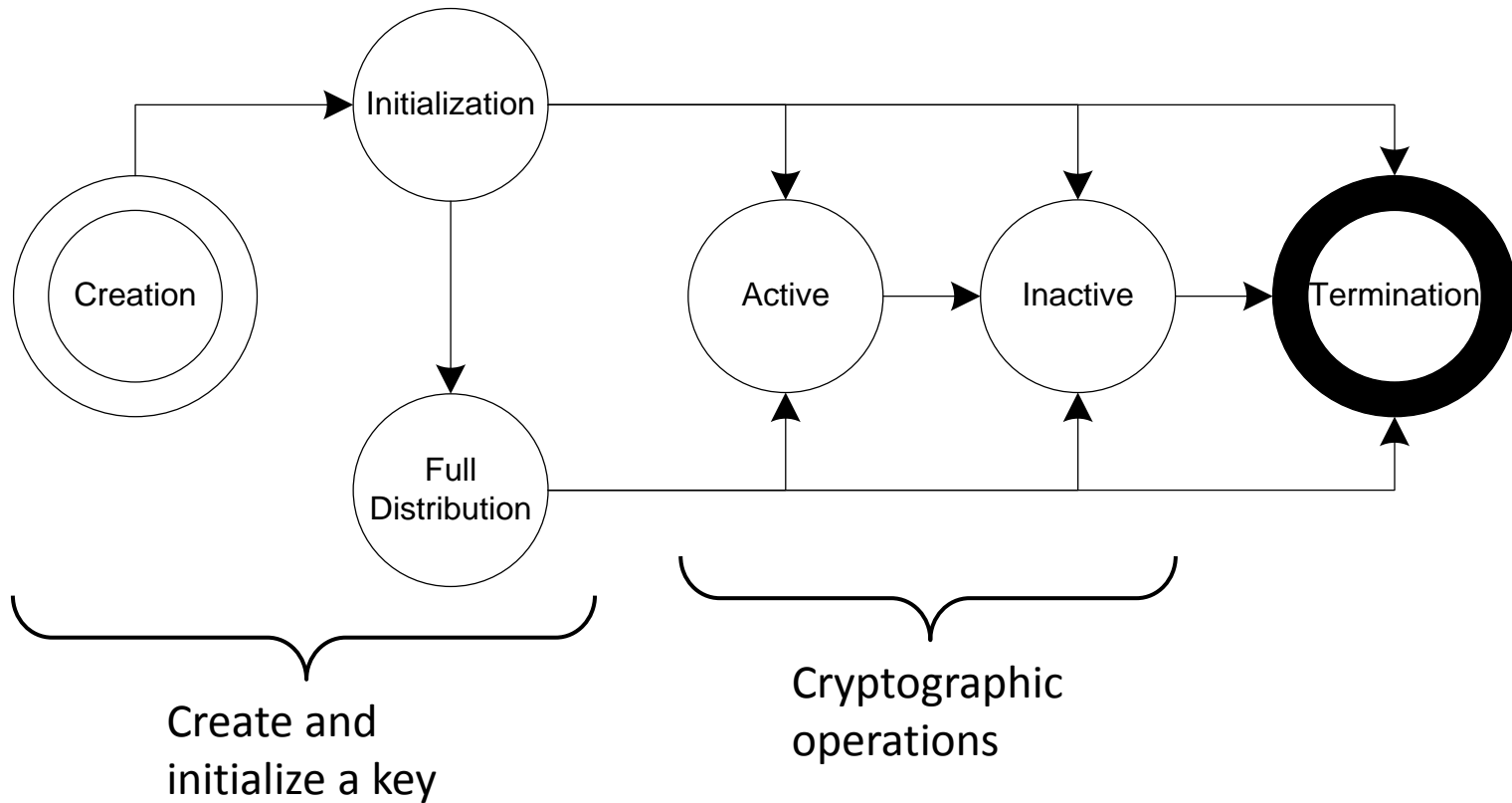


Where is the correct key?
How is it protected?

Key Lifecycle Model

- **Creation.** A key object is created on at least one replica, but its attributes (e.g., key value) are not set.
- **Initialization.** The key object has all its core key attributes set on at least one replica.
- **Full Distribution.** An initialized key is available on all replicas.
- **Active.** An initialized key is available for cryptographic operations on at least one replica.
- **Inactive.** An initialized key is available for some cryptographic operations on all replicas (e.g., decrypt, only).
- **Termination.** An initialized key is permanently deleted from all replicas.

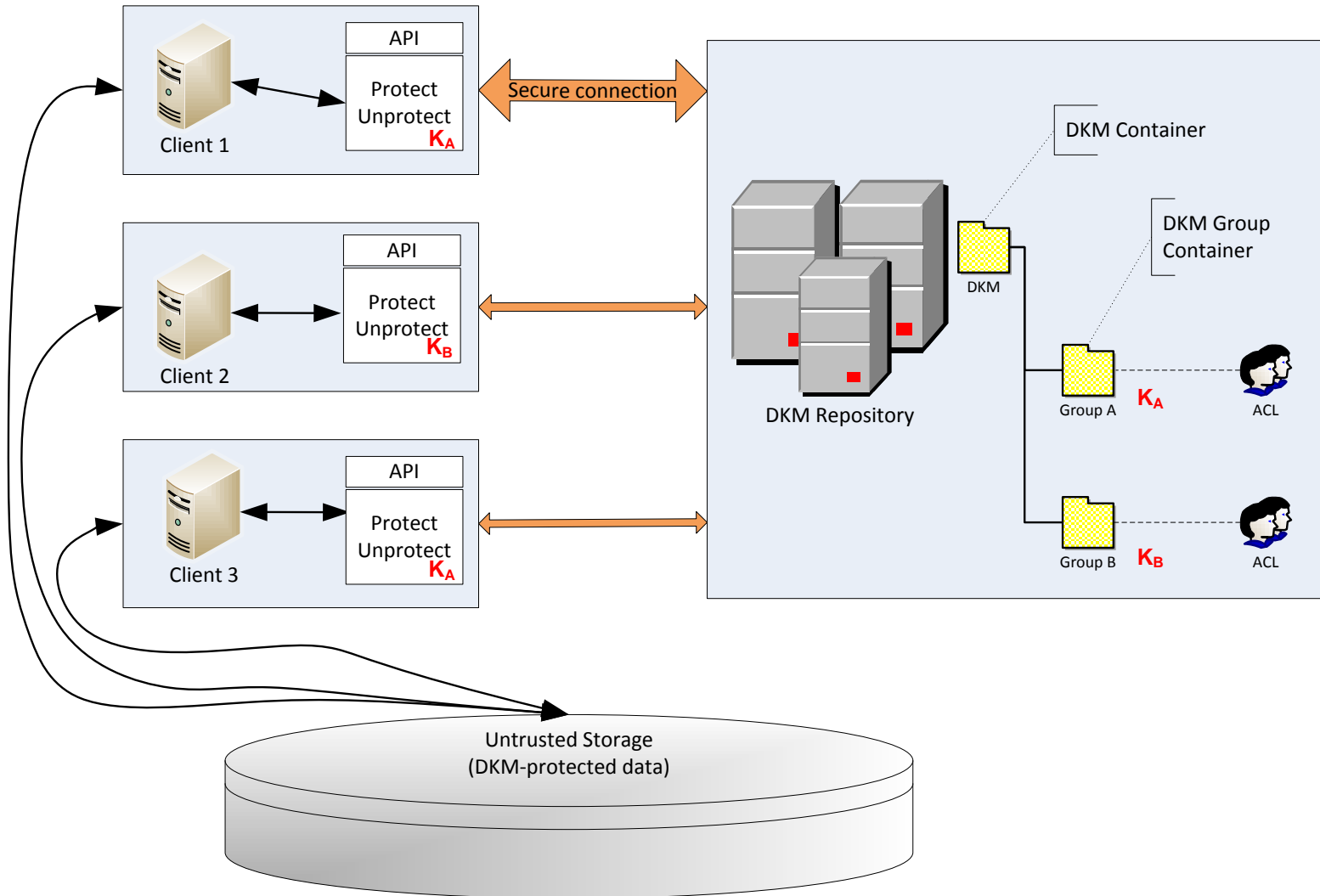
Key State Transitions



DKM Problem Statement

- No cross-user and cross-machine data protection
 - Windows Data Protection API (DPAPI) is single-user, single-machine.
 - KeyCzar and PKCS#11 uses local keys; no distribution mechanism.
- Engineering problem
 - Ad-hoc key management groups (protection siloes)
 - Scalability & Availability (10Ks of machines)
 - Geo-redundancy (multiple data centers)
 - Key lifecycle management (automation)
- Cryptography problem
 - Protect arbitrary data (broad applicability)
 - Use existing algorithms (e.g. AES, HMAC-SHA2)
 - Automatically update group keys (key rollover)
 - Crypto agile (algorithm and key length changes)

DKM Architecture



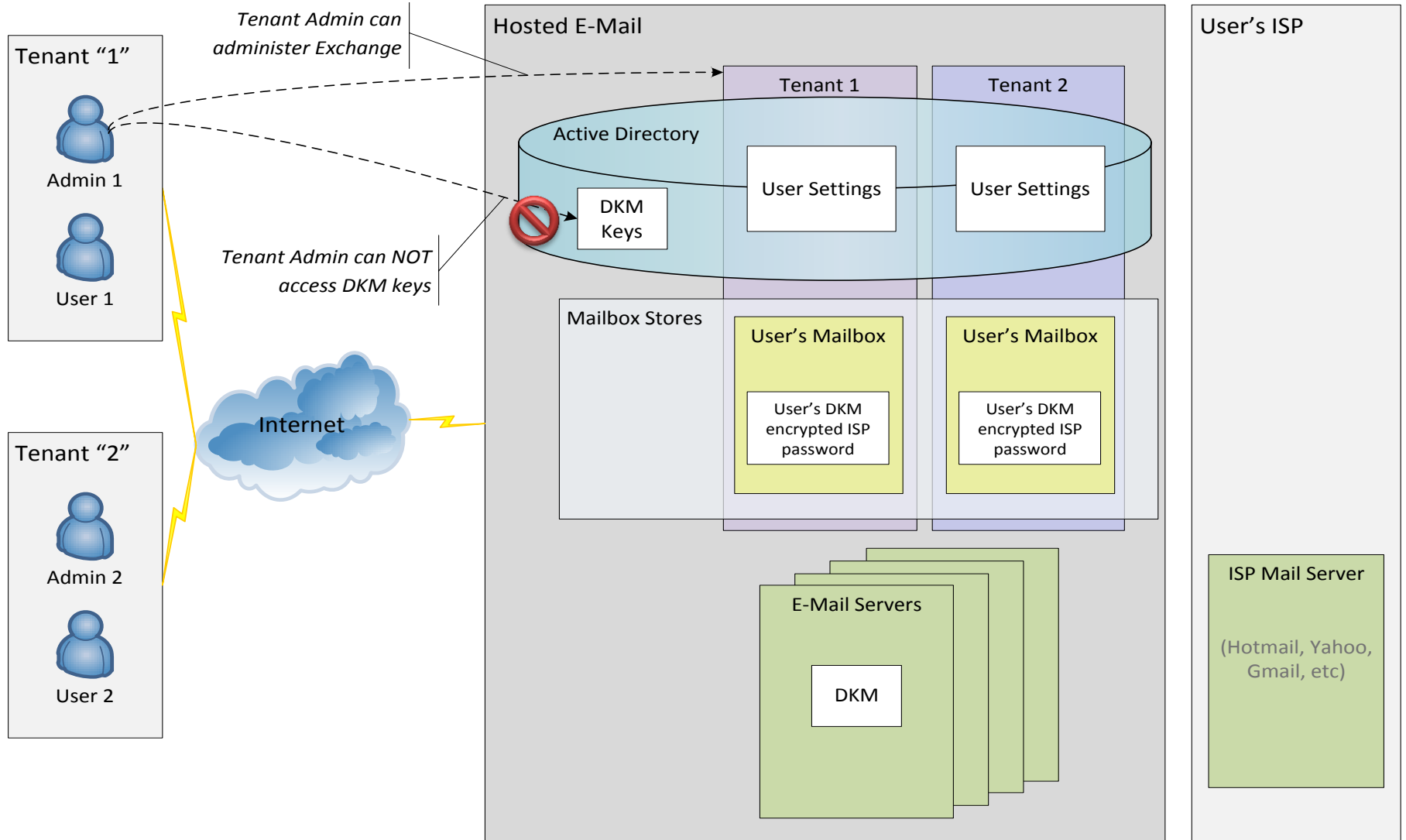
DKM Approach

- Active Directory Approach
 - Key storage is straightforward
 - Store group keys in AD objects
 - Protect keys with AD object ACLs
 - AD security groups correspond to principals / groups
 - Rely on Active Directory replication for high availability
 - Network transport is secure (LDAP with Kerberos)
- DKM provides
 - Auto key update mechanism
 - Multiple groups and multiple keys per group
 - Cryptographic policy per domain and per group
 - Crypto agility

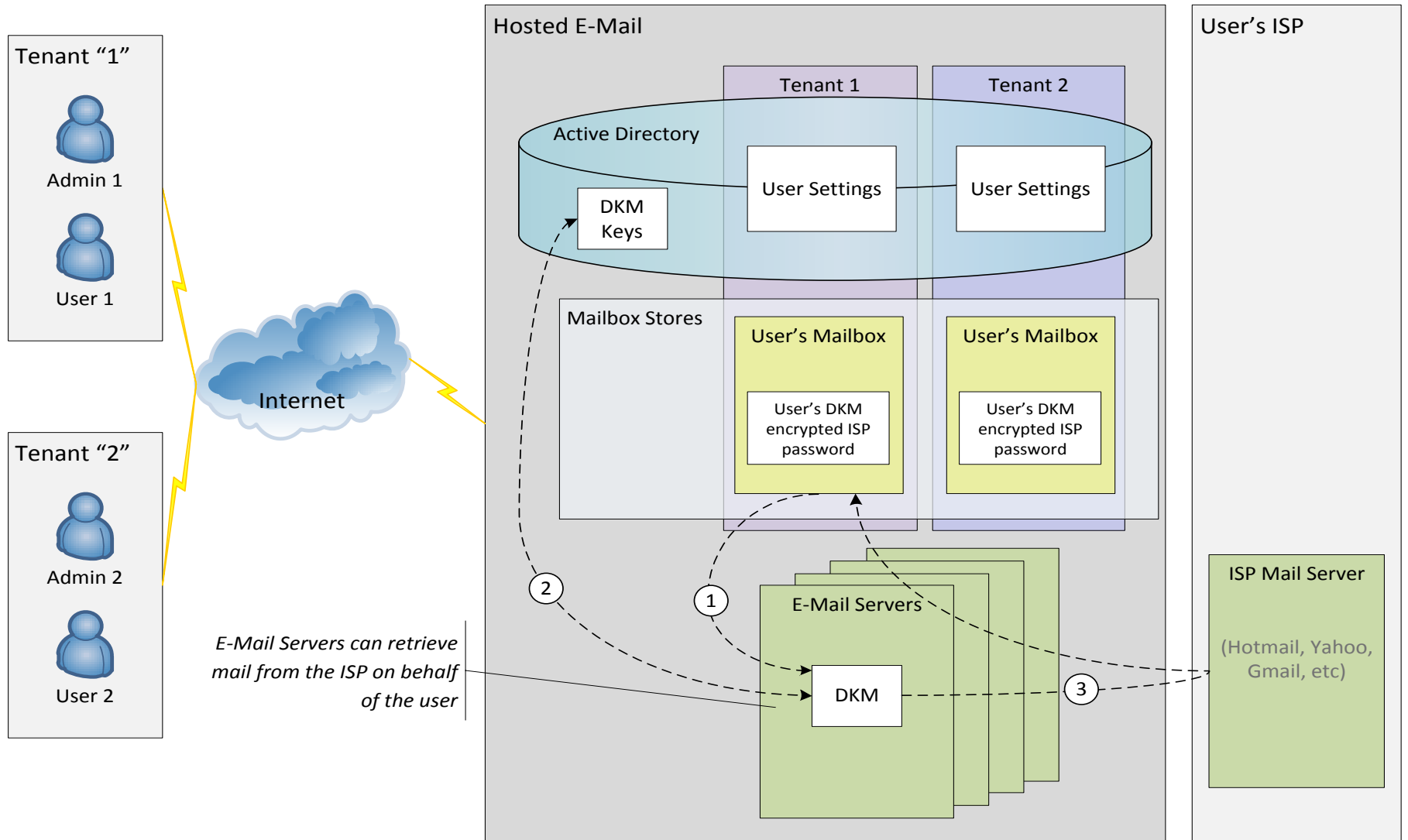
Walkthrough: DKM in Hosted E-Mail

- Scenario:
 - Hosting mail for multiple tenants in a datacenter
 - Product supports message aggregation from other providers for users with multiple email accounts
 - User signs in once
 - E-Mail Server fetches and aggregates mail
 - Tenant Admins must be able to perform Administrative tasks
 - But should NOT be able to read user credentials

Walkthrough: DKM in Hosted E-Mail

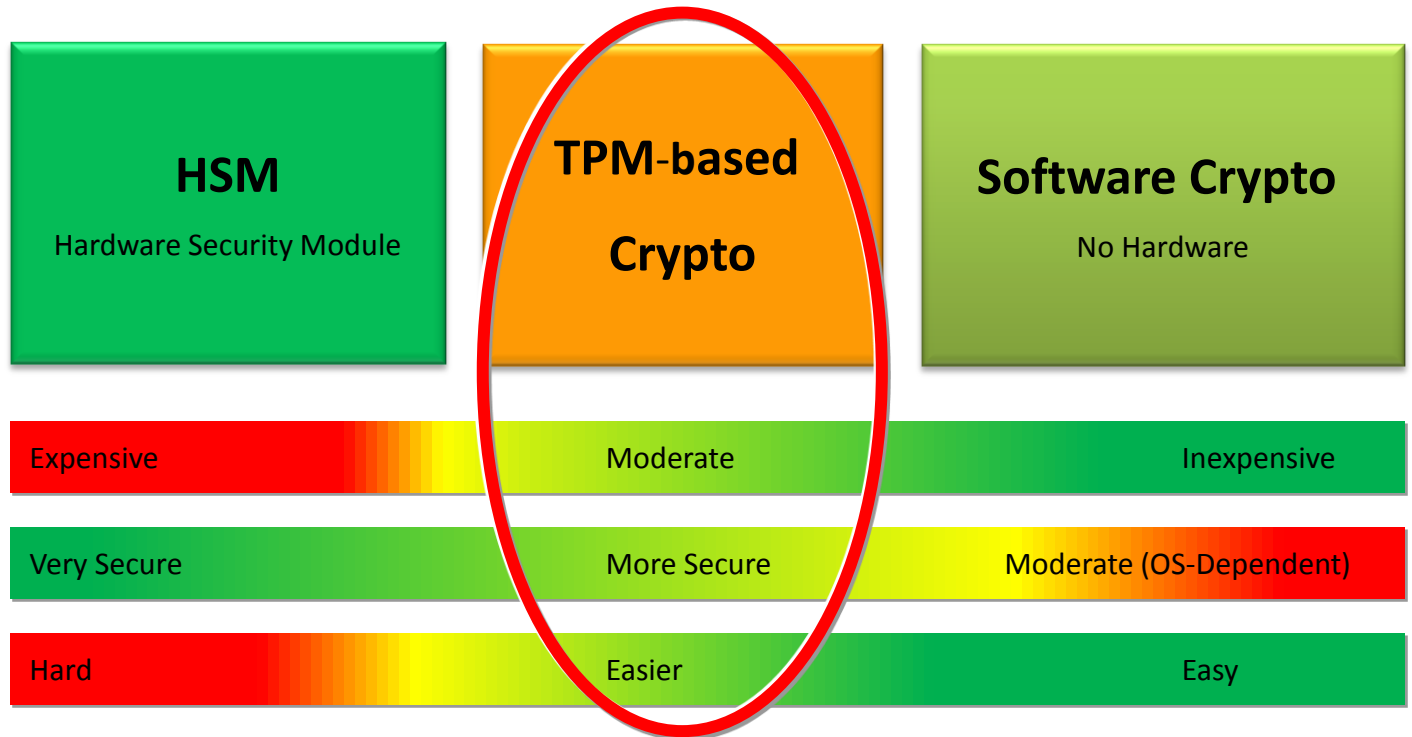


DKM in Hosted E-Mail



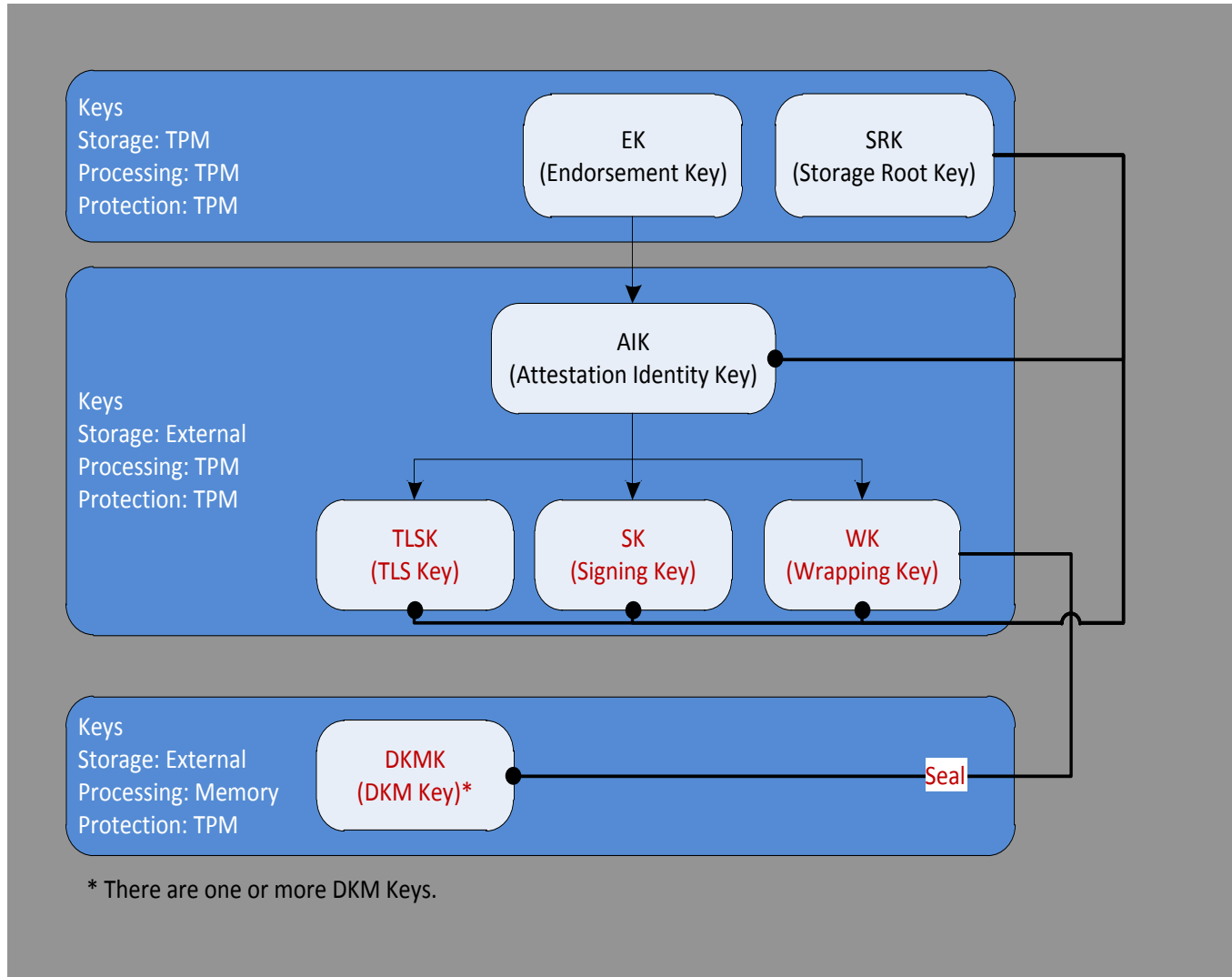
DKM-TPM Motivation

Secret Protection Technology:



- Approach sits between a pure HSM solution and a full software solution.

DKM-TPM Key Hierarchy



DKM-TPM Roles

1. Master (Root of Trust)

- Root of Trust for TPM public keys
- Role assignment to TPM public keys
- Push to Stores

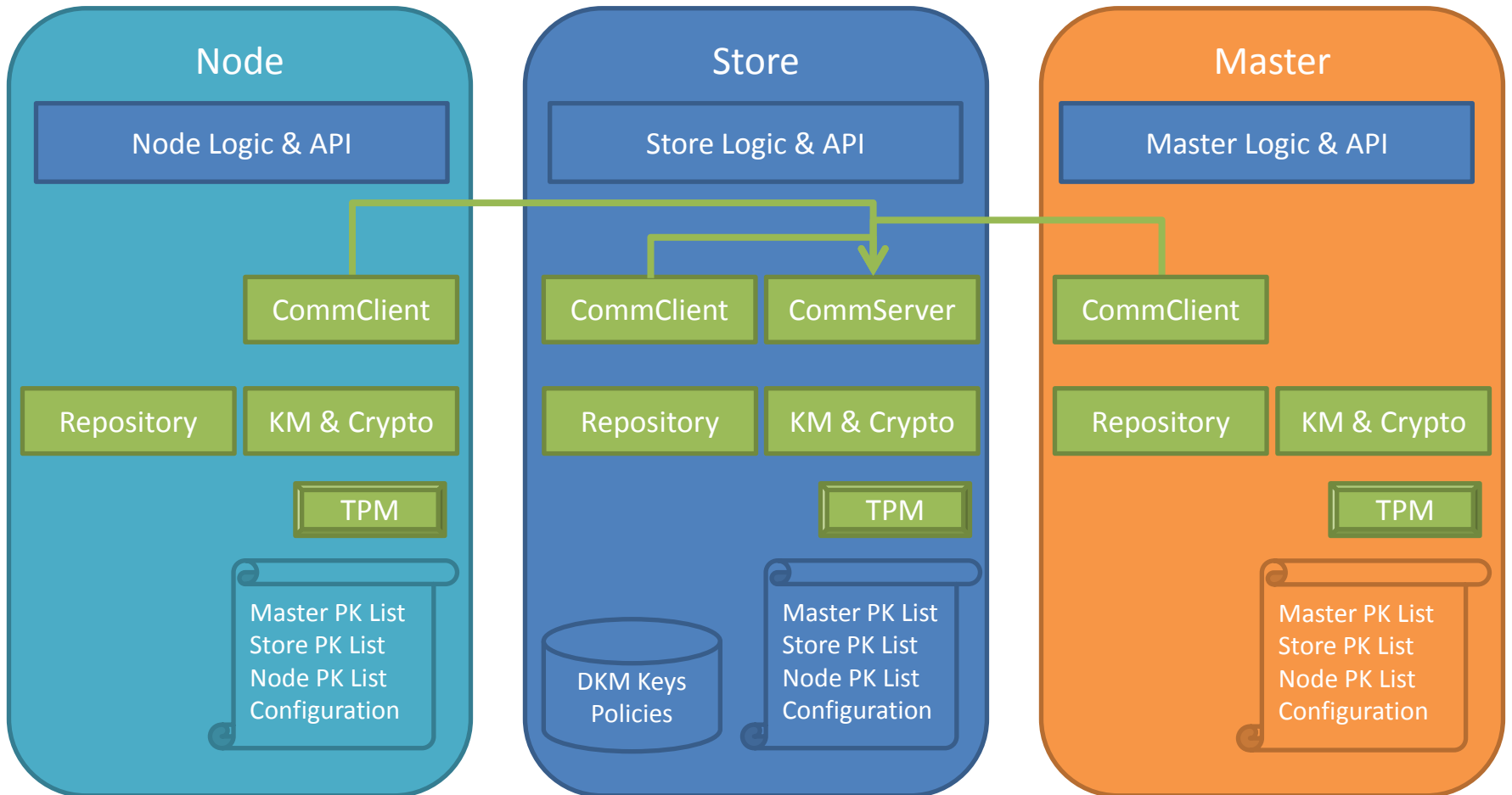
2. Store (Repositories)

- DKM repository (keys, policies, and metadata)
- DKM Responder
- Responds to requests from Masters, Stores, and Nodes

3. Node (Application servers)

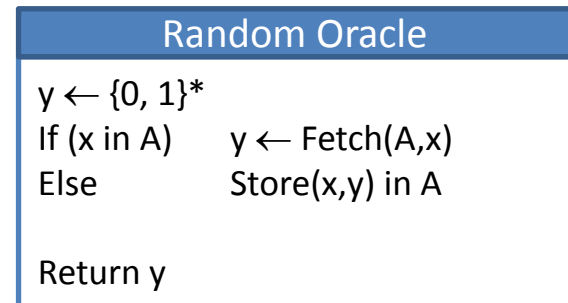
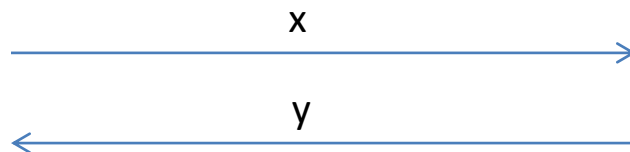
- Cryptographic operations with DKM keys
- Client API
- Sends requests to Stores

DKM-TPM Roles



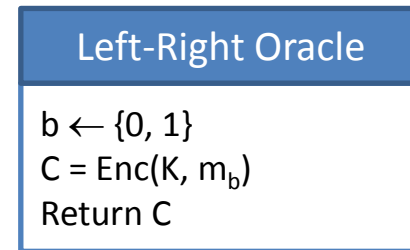
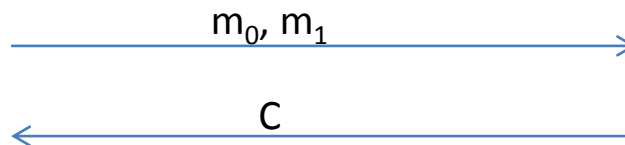
Cryptosystem Security Definitions

- Probabilistic Polynomial-Time (PPT) adversaries
 - Probabilistic randomized algorithm that gives the correct answer with $> \frac{1}{2}$ probability.
- Random Oracle Model (RO or ROM)
 - Black box with a stateful uniform random response



Attack Game

- Encryption scheme security definitions
 - IND-R: Indistinguishability from Random
 - IND-CPA: Indistinguishability under Chosen Plaintext Attack (a.k.a. semantic security)
 - IND-CCA: Indistinguishability under Chosen Ciphertext Attack
- $\text{IND-CPA} \subset \text{IND-CCA}$



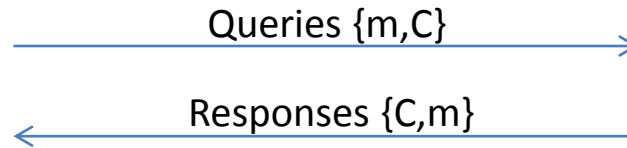
IND-CPA Game

Ciphertext Attacks

- IND-CCA2: Indistinguishability under adaptive chosen ciphertext attack
 - Decryption Oracle access (non-trivial)
- Non-adaptive
 - Query the decryption oracle till the challenge ciphertext is received
- Adaptive
 - Continuous queries to the oracle (max q queries)
- $\text{IND-CPA} \subset \text{IND-CCA} \subset \text{IND-CCA2}$

IND-CCA/CCA2 Game

Free Oracle Access



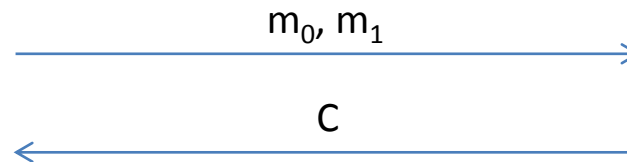
Encrypt

$$C = \text{Enc}(K, m)$$

Decrypt

$$m = \text{Dec}(K, C)$$

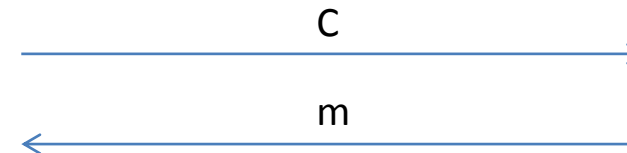
Challenge



Left-Right Oracle

$$b \leftarrow \{0, 1\}$$
$$C = \text{Enc}(K, m_b)$$

Adaptive (CCA2) Adversary



Decrypt

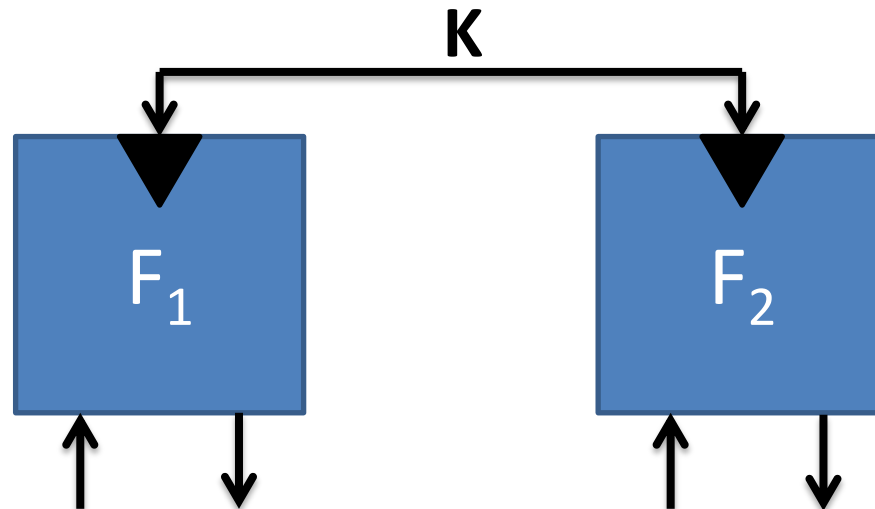
$$m = \text{Dec}(K, C)$$

Guess b ?



Cryptographic Agility

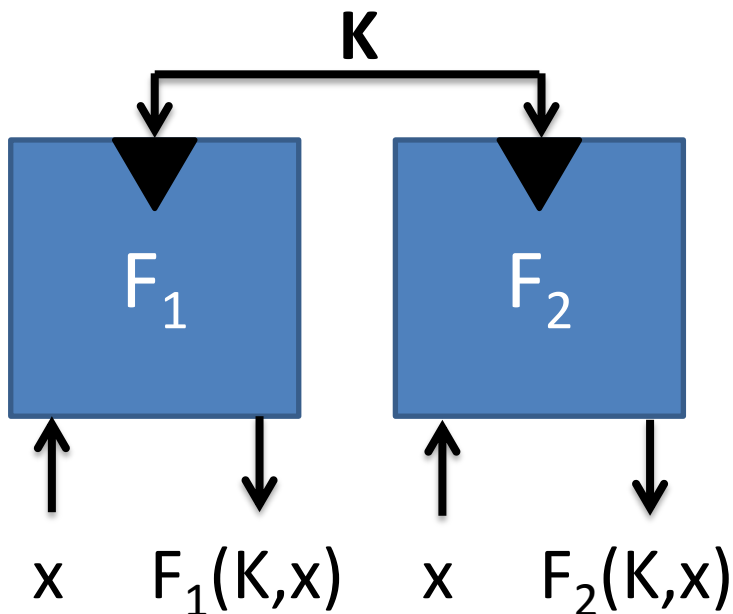
- Cryptographic primitives as sets:
 - PRF = { F : F is a secure pseudorandom function}
 - AE = { F : F is a secure authenticated encryption scheme}
- Assume F_1 and F_2 have the same key space and length
- **Informal Definition:** A primitive Π is **agile** if any $F_1, F_2 \in \Pi$ can securely use the **same** key.



Pseudo Random Function Agility

Facts

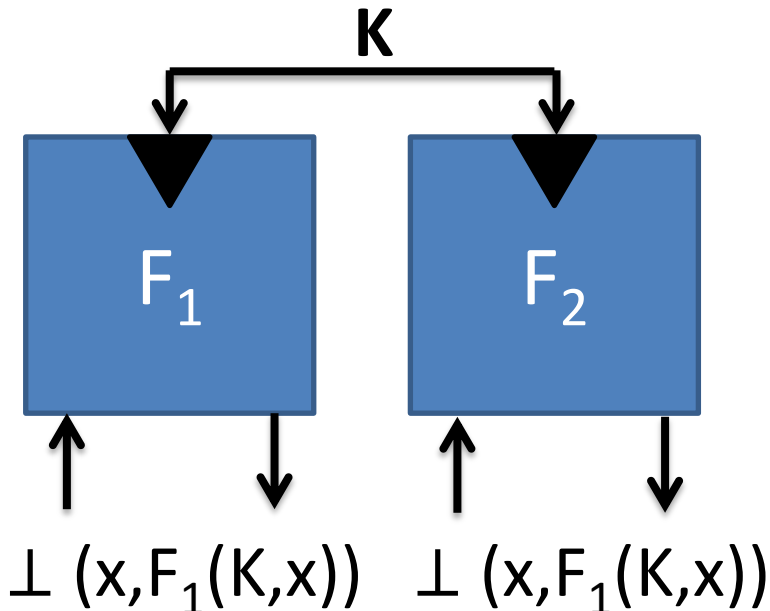
- PRF: F is a PRF if no efficient adversary can distinguish $F(K, \cdot)$ from a random function.
- $F_1(K_1, x)$ and $F_2(K_2, x)$ are not distinguishable from a pair of random functions.



- **Definition:** A set $\{F_1, F_2\}$ is **agile** if $F_1(K, x)$ and $F_2(K, x)$ are not distinguishable from a pair of random functions.
- Question: Are PRFs agile?
 - Yes, if every $\{F_1, F_2\}$ is agile.
- Answer: No.
 - Example: $F_2(K, x) = \text{NOT}(F_1(K, x))$
- Now, what?

Agility in Practice

- Certain primitives are agile: collision-resistant hash functions
- Strong agility is achievable in practice: Authenticated Encryption
 - Don't use the key directly in the encryption algorithm $\langle ae \rangle$
 - Use a derived subkey in $\langle ae \rangle$



- PRF-based security for Authenticated Encryption: CCM, GCM, etc.
 - Pick a PRF from a small agile set
- Encryption of M with K , with PRF
 - $K_{ae} = \text{PRF}(K, \langle ae \rangle)$
 - $C = E(K_{ae}, M)$
- Decryption
 - $K_{ae} = \text{PRF}(K, \langle ae \rangle)$
 - $M = D(K_{ae}, C)$